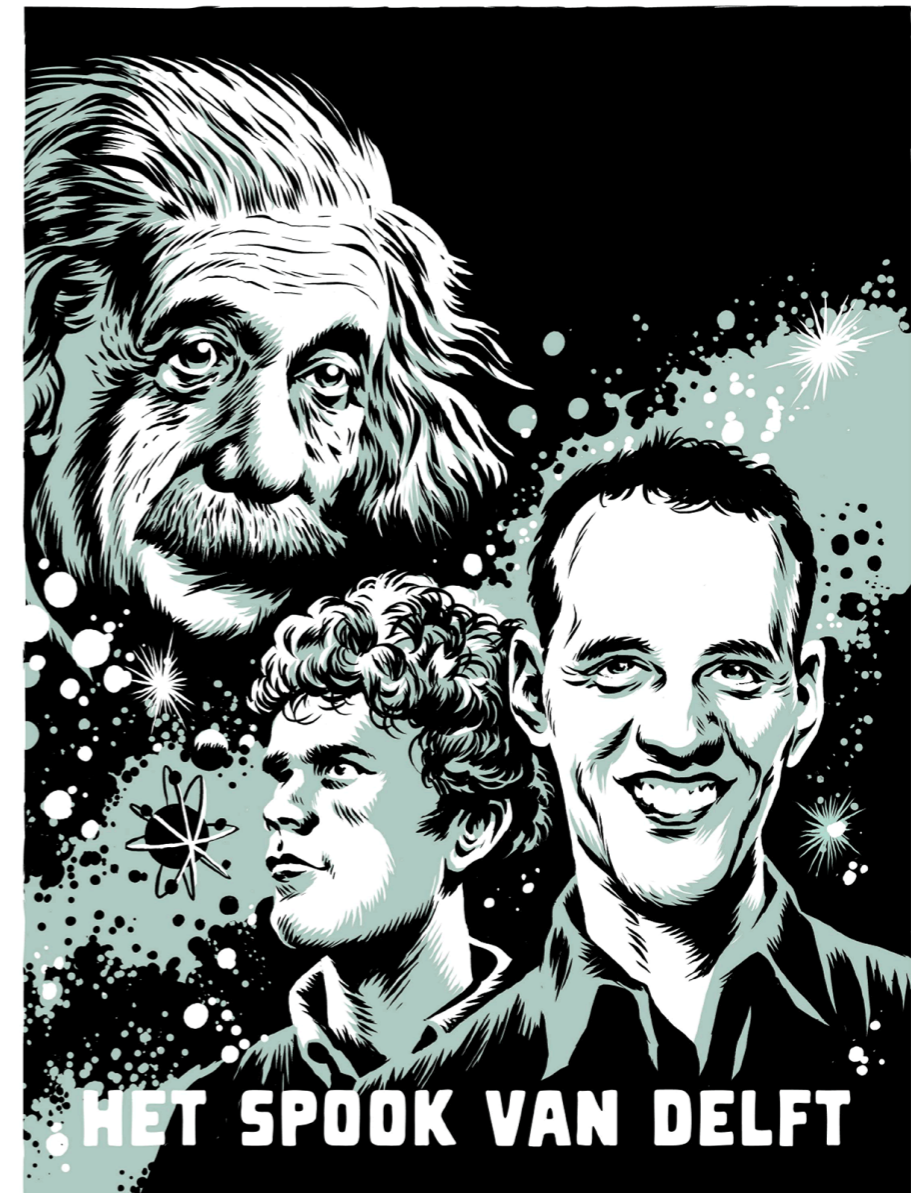
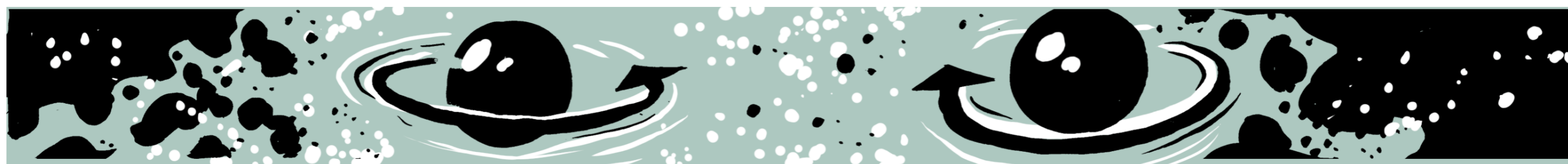
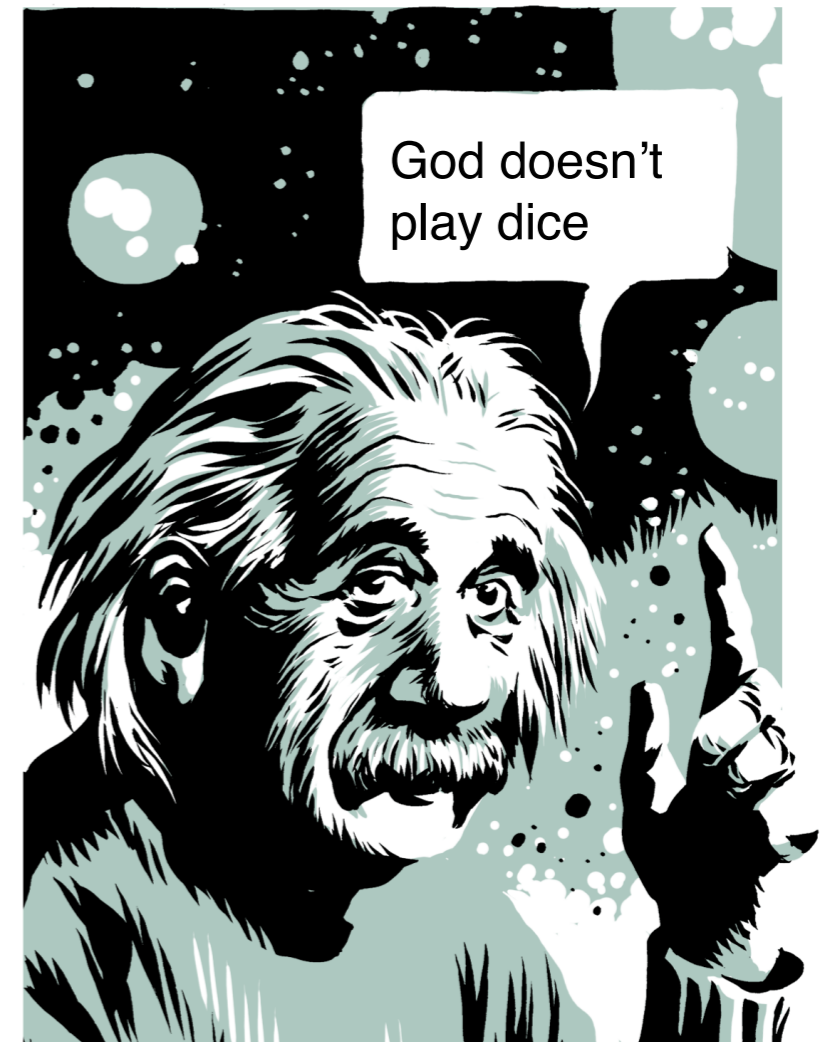
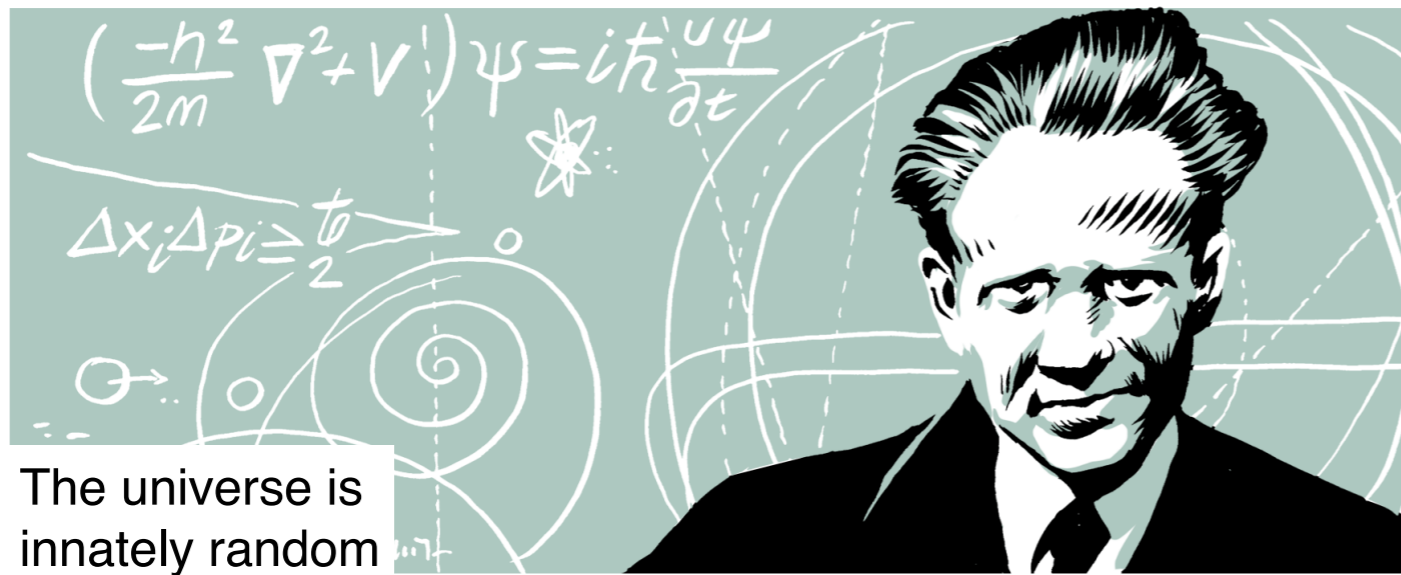


Loophole-free Bell inequality violation using electron spins separated by 1.3 kilometres

B. Hensen^{1,2}, H. Bernien^{1,2†}, A. E. Dréau^{1,2}, A. Reiserer^{1,2}, N. Kalb^{1,2}, M. S. Blok^{1,2}, J. Ruitenbergh^{1,2}, R. F. L. Vermeulen^{1,2}, R. N. Schouten^{1,2}, C. Abellán³, W. Amaya³, V. Pruneri^{3,4}, M. W. Mitchell^{3,4}, M. Markham⁵, D. J. Twitchen⁵, D. Elkouss¹, S. Wehner¹, T. H. Taminiau^{1,2} & R. Hanson^{1,2}



The EPR paradox: realism versus quantum mechanics



John Bell devised an equality to show the difference



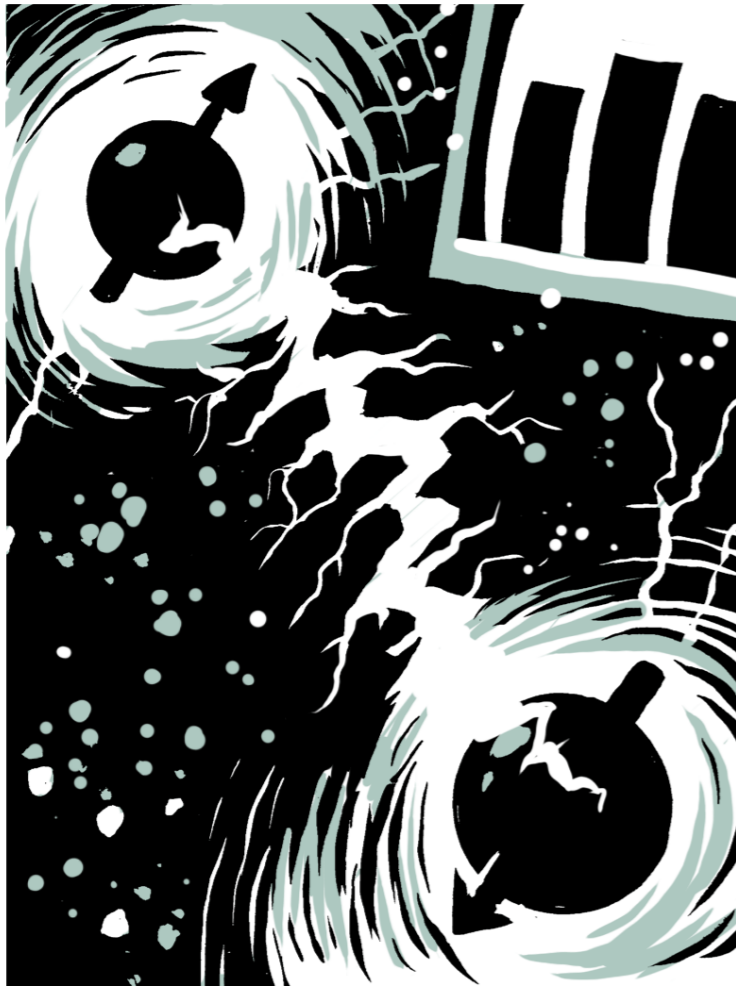
The first experiments in the 80's leave severe loopholes

Detection loophole
fair sampling

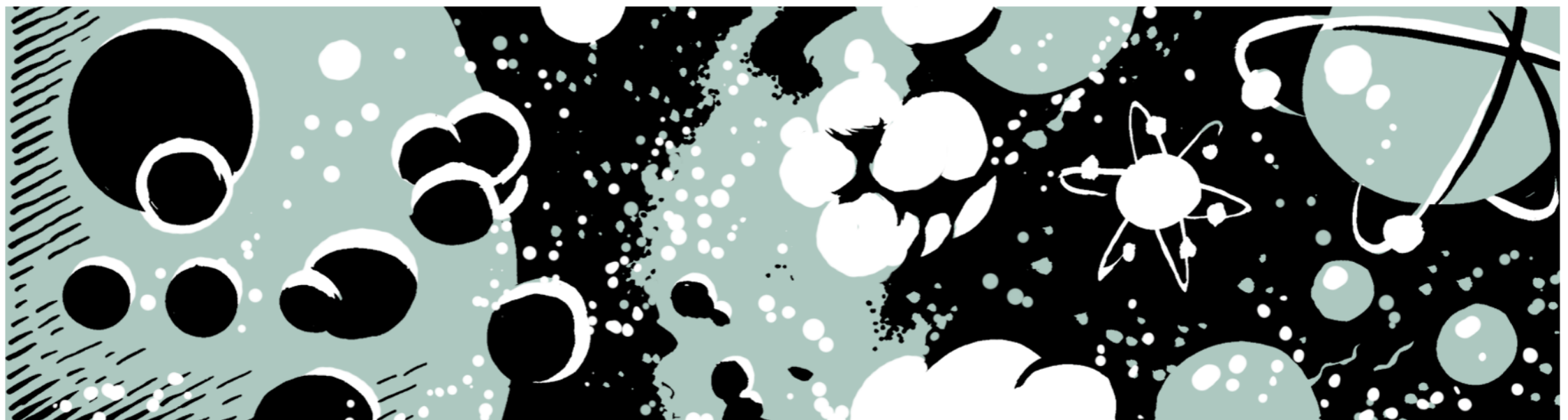
Locality loophole
communication



Bell's inequality,

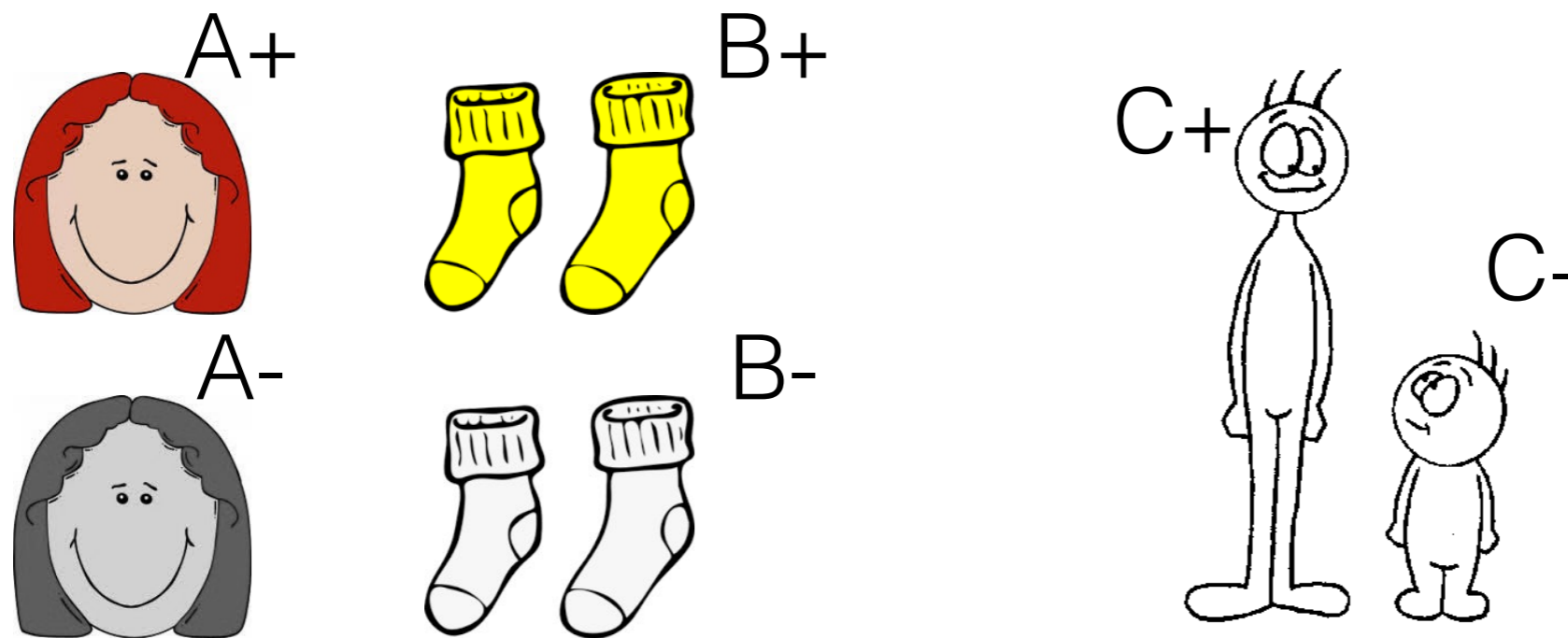


the experiment,



and future work

Bell's inequality by counting hair, socks and height

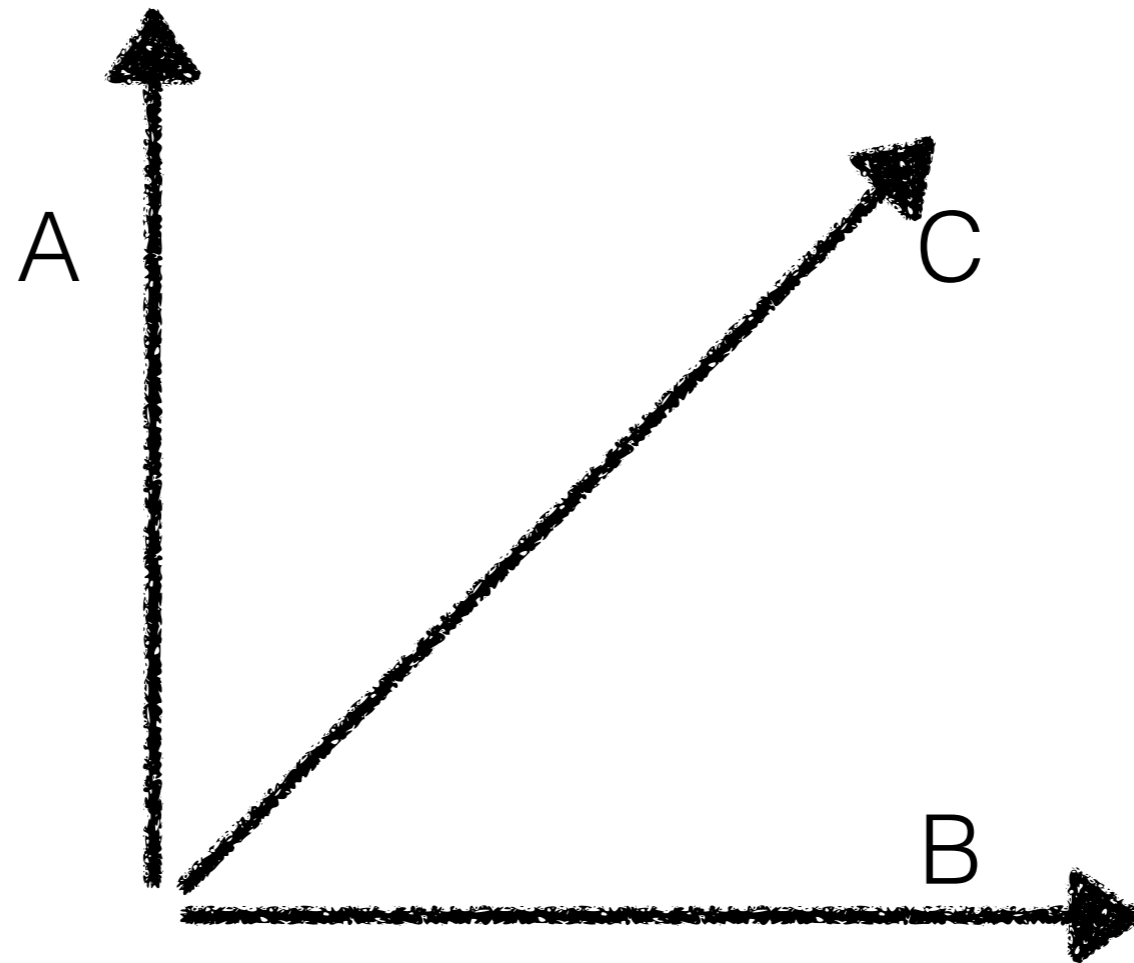


$$N(A+, B-) = N(A+, B-, C+) + N(A+, B-, C-)$$

$$N(A+, B-) = N(A+, C-) - N(A+, B+, C-) \\ + N(B-, C+) - N(A-, B-, C+)$$

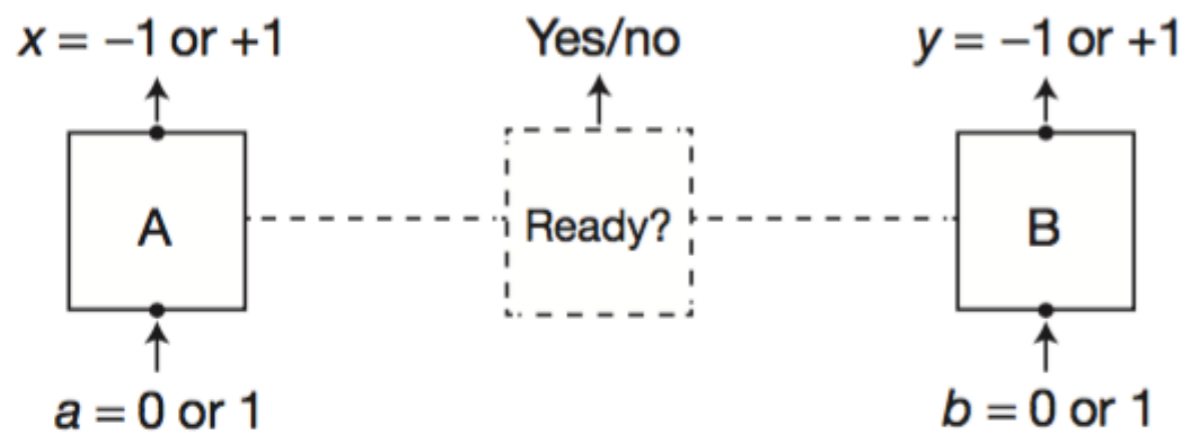
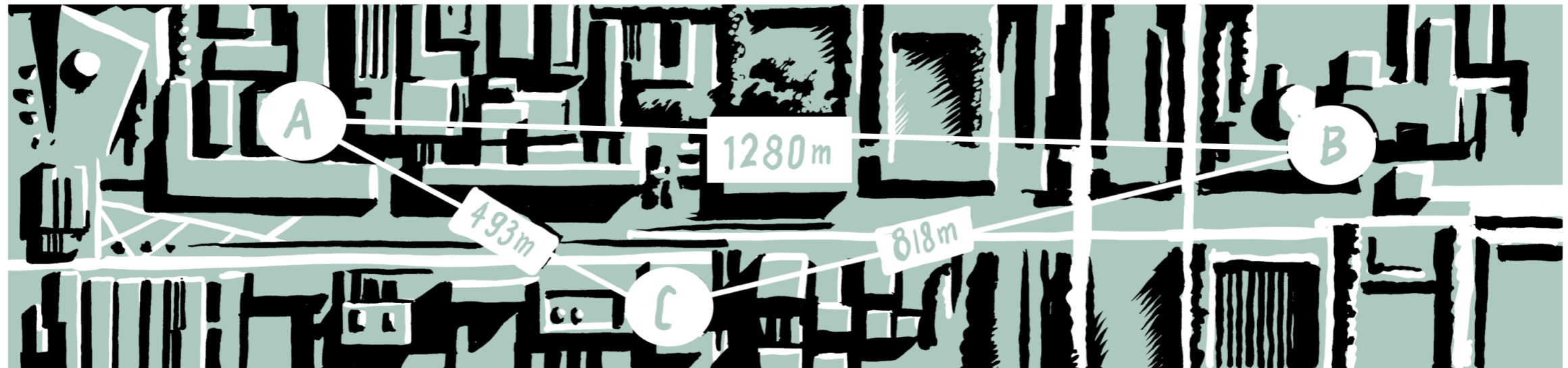
$$N(A+, B-) < N(A+, C-) + N(B-, C+)$$

Bell's inequality by counting quantum measurements

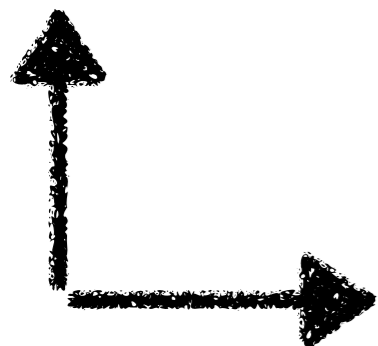


$$N(A+, B-) < N(A+, C-) + N(B-, C+) \\ 1/4 < (2 - \sqrt{2})/4 \dots \text{NOT :)}$$

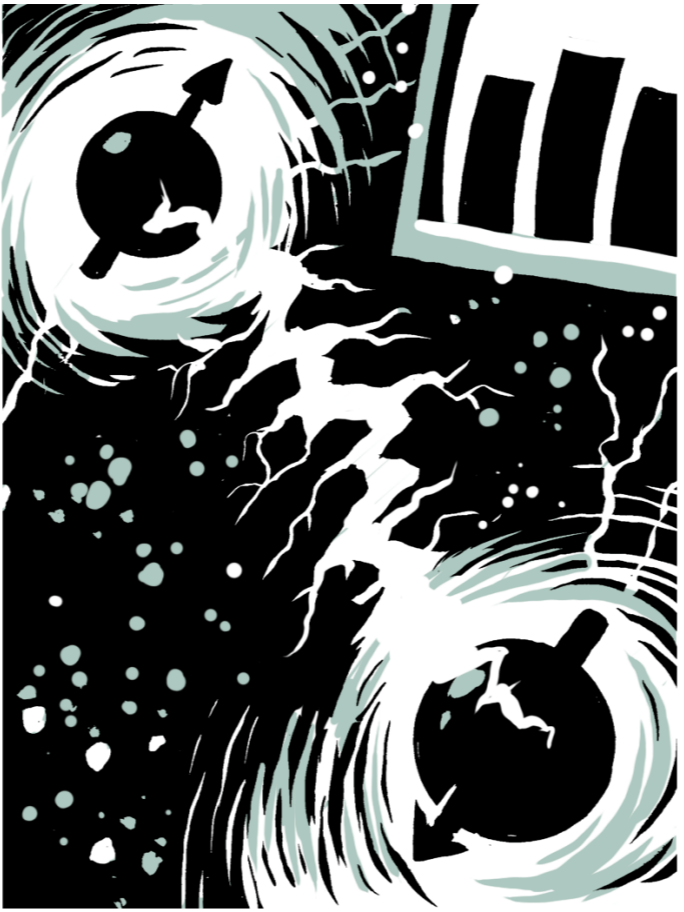
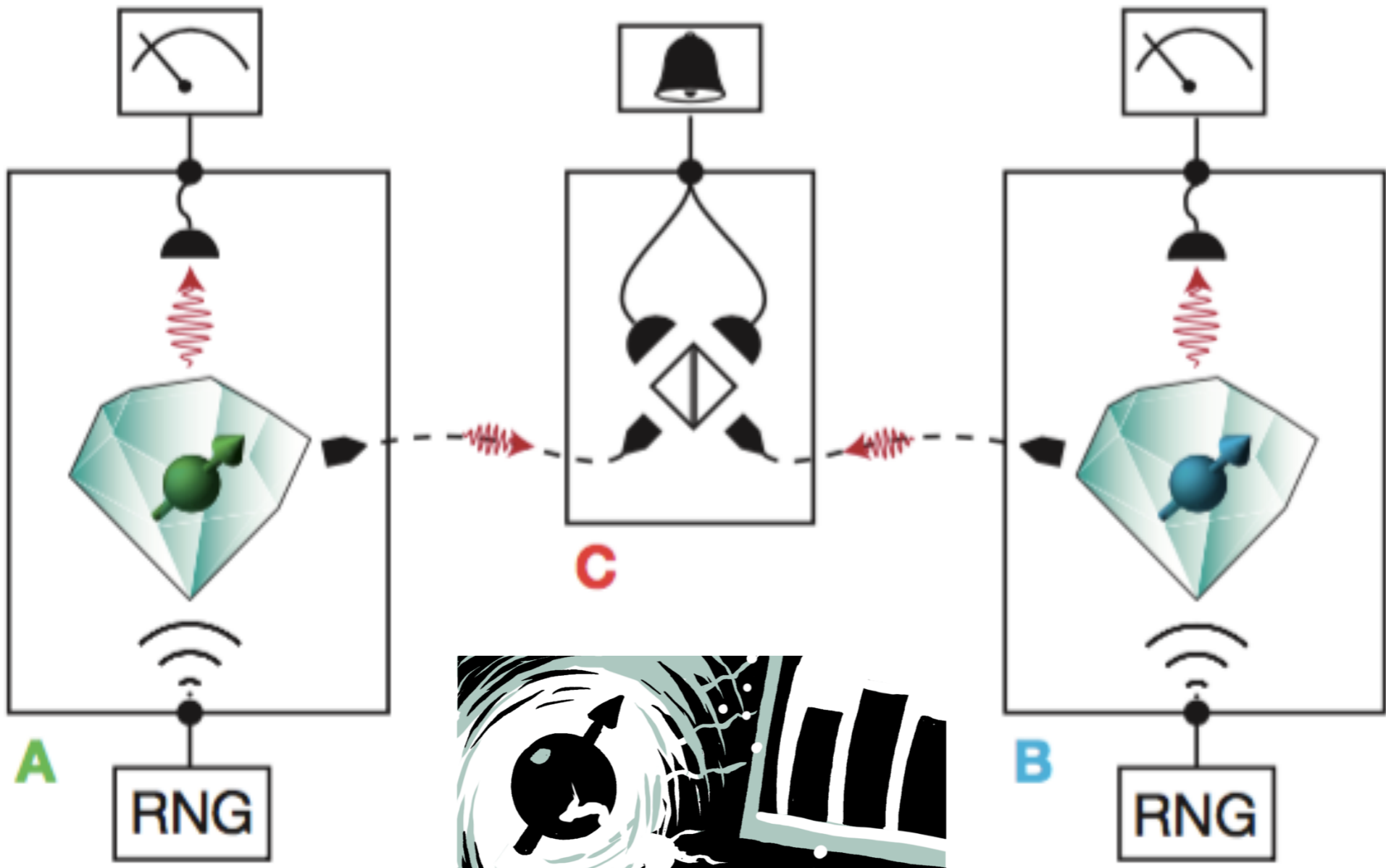
The experiment's 1.2 km distance closes the locality loophole



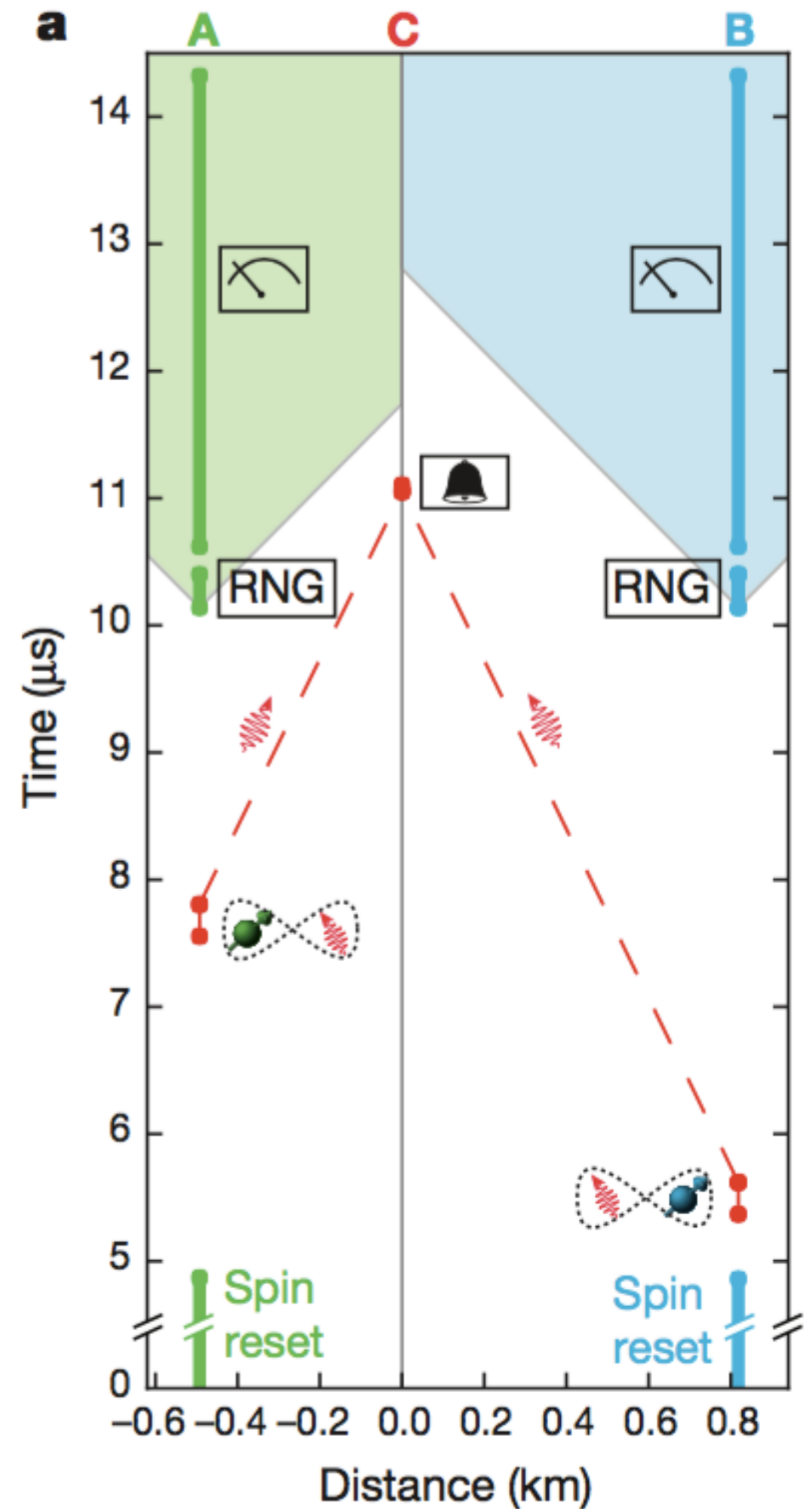
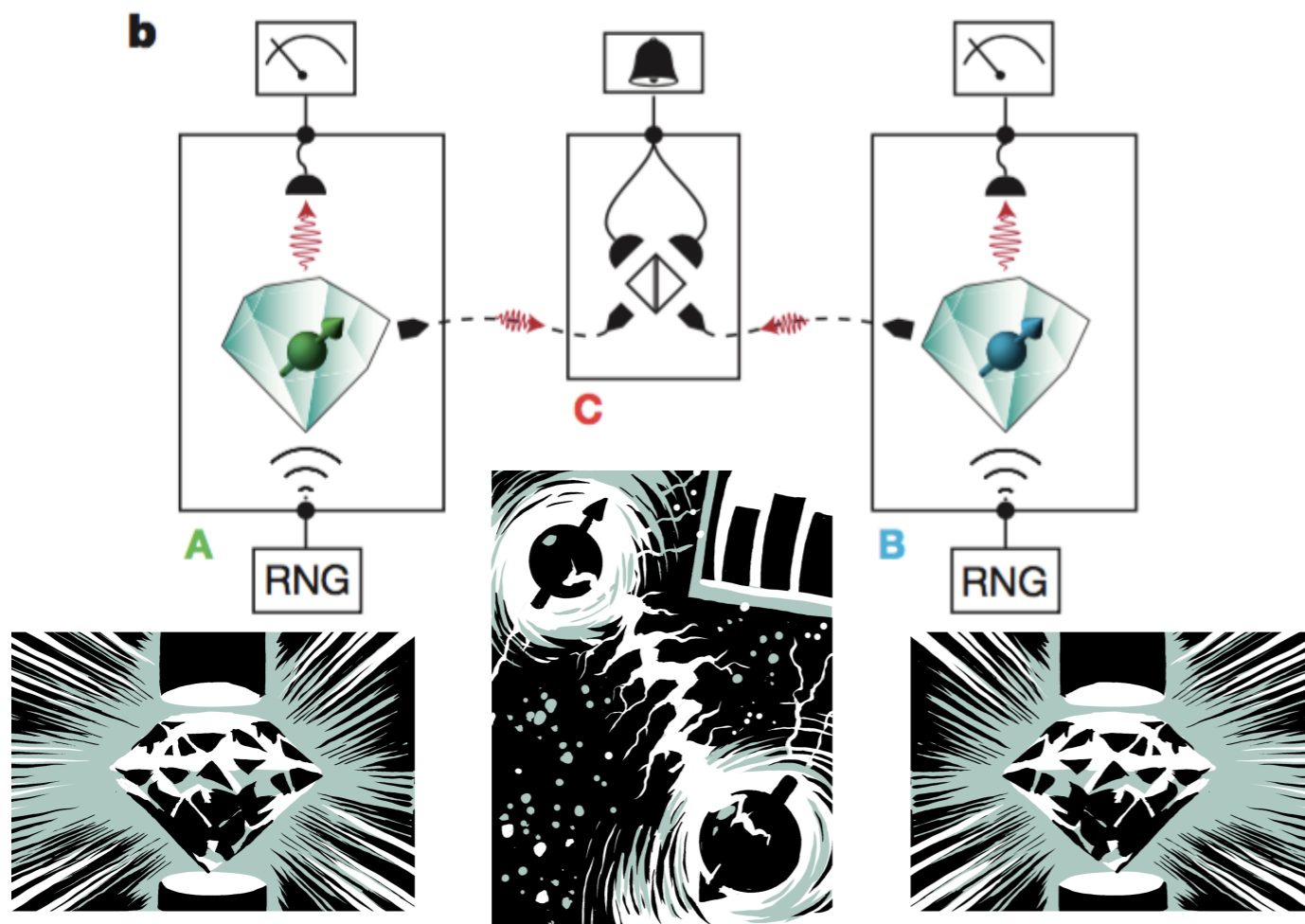
$$S = \left| \langle x \cdot y \rangle_{(0,0)} + \langle x \cdot y \rangle_{(0,1)} + \langle x \cdot y \rangle_{(1,0)} - \langle x \cdot y \rangle_{(1,1)} \right| \leq 2$$



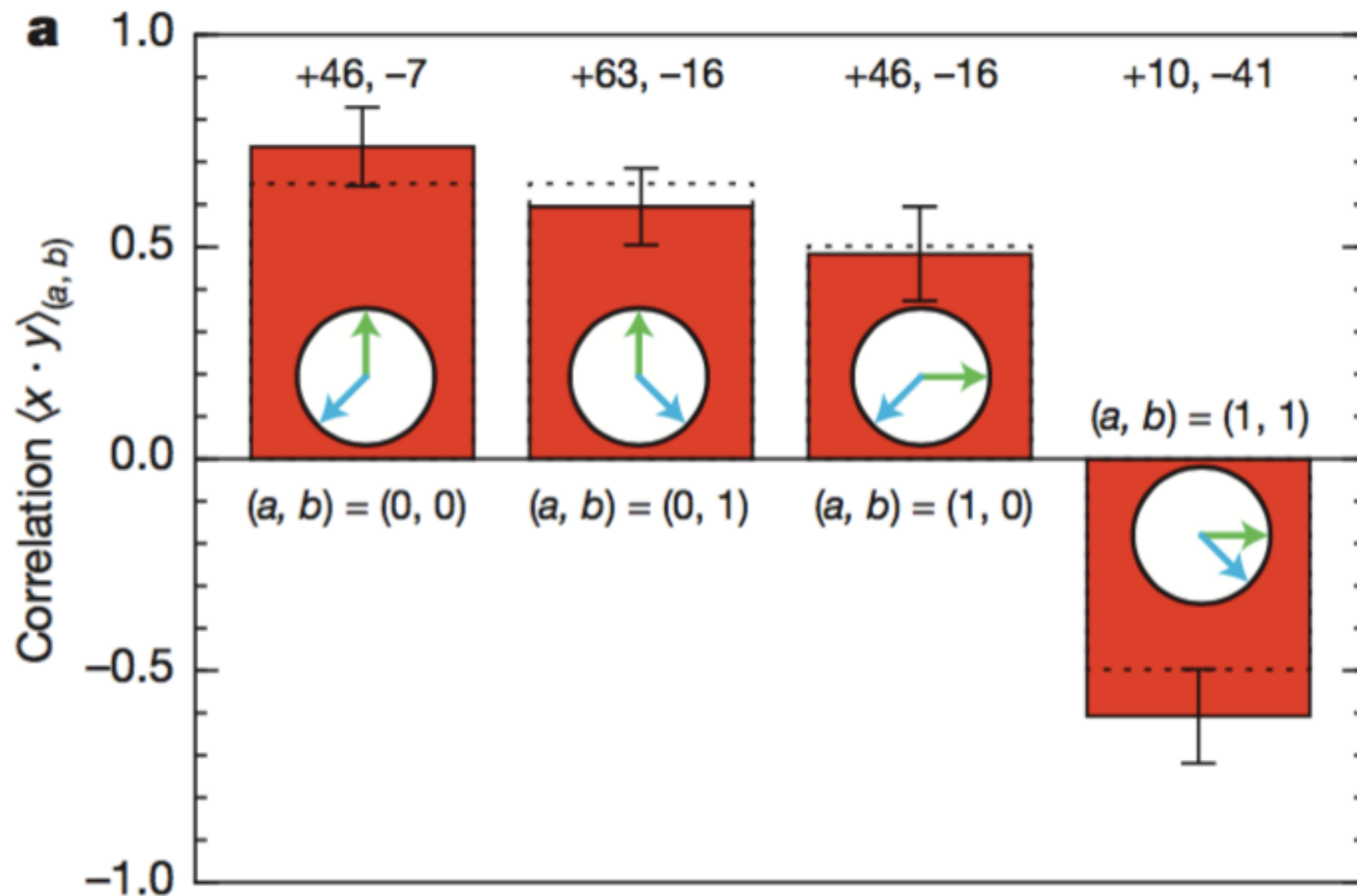
b



Timeline of the measurement

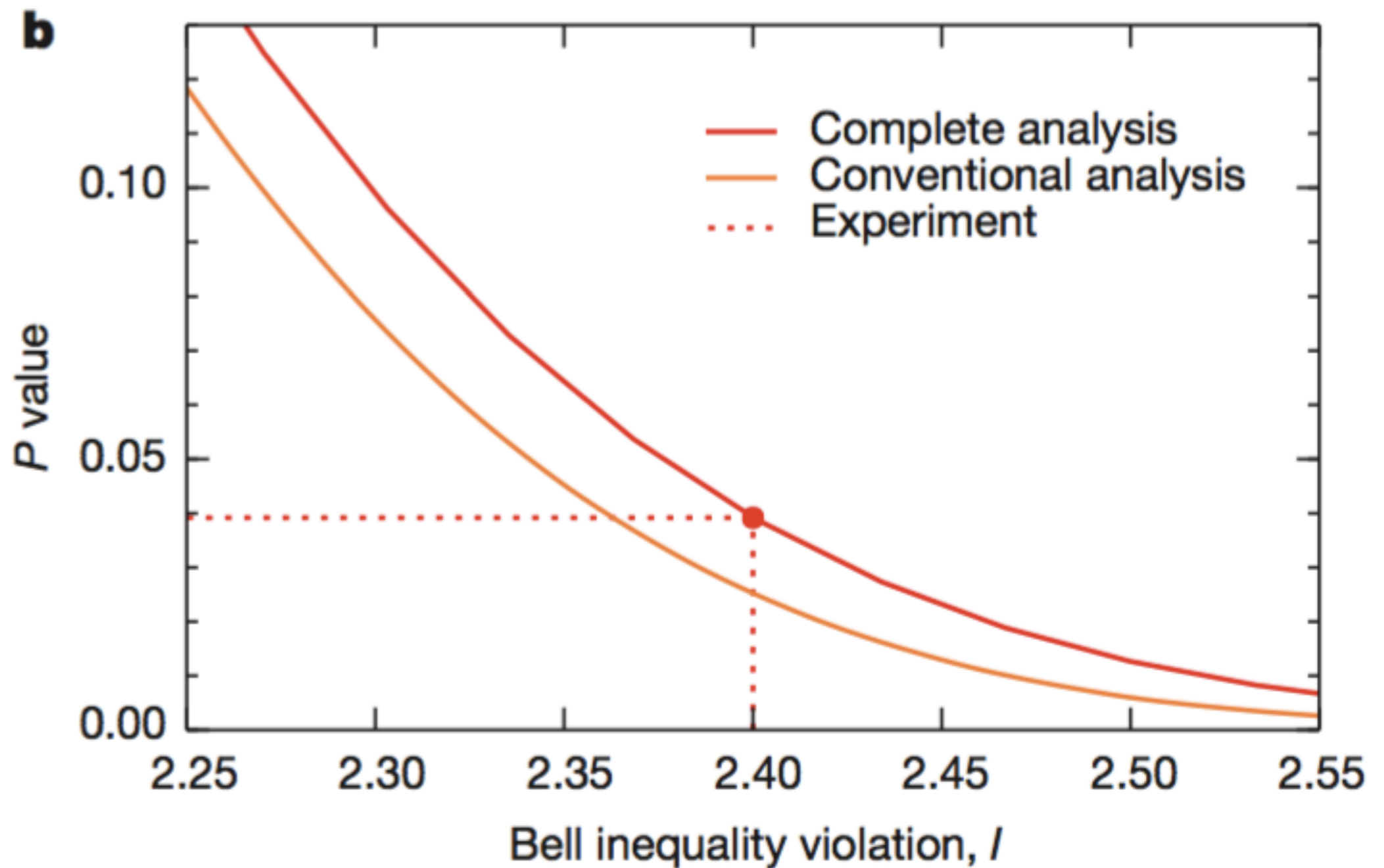


The results break the Bell inequality



$$\frac{46 - 7}{46 + 7} + \frac{63 - 16}{63 + 16} + \frac{46 - 16}{46 + 16} - \frac{10 - 41}{10 + 41} = 2.4 > 2$$

And it is significant



The ideas for future work

Increasing distance

Theories with increased speed

Different random agents

Free will characters

Repositioning RNG

Freedom of choice

